Learn about common-collector bipolar junction transistor (BJT) transistor amplifiers and apply this knowledge to the circuits that you design.

Bipolar junction transistor (BJT) amplifiers are still widely used in modern electronic circuitry. This article focuses on practical variations of the common-collector or emitter-follower amplifier based on discrete transistors and Darlington pairs. Figure 1 shows the basic common-collector amplifier and compares it with the common-base and common-emitter amplifiers. Table 1 sums up the performance characteristics of these three bipolar amplifiers.

The fundamentals bipolar of transistors were presented last month and the specifications of two widely available and typical discrete devices, the NPN 2N3904 and the PNP 2N3906 were given. The 2N3904 is included in most of the schematics in this article.

The expression \( h_{fe} \) in Table 1, known as a hybrid parameter, is the common-emitter DC forward-current gain. It is equal to the collector current divided by the base current \( (h_{fe} = I_c/I_b) \). The value of this variable for the 2N3904 NPN transistor is typically between 100 and 300, but in this article it is considered to be 200.

A lot of useful information can be gained simply by studying both Fig. 1 and Table 1. The common-collector amplifier (also widely known as the emitter-follower) has its input applied between its base and collector and its output is taken across its emitter and collector. The circuit is also referred to as the grounded-collector amplifier. In practical configurations its load resistor is in series with its emitter terminal.

The mathematical derivations of the results shown in Table 1 can be found in most basic electronics texts. However, for the purposes of this article, the important characteristics of the common-collector/emitter follower amplifier to keep in mind are:
- High input impedance
- Low output impedance
- Voltage gain approximately equal to unity
- Current gain approximately equal to \( h_{fe} \)

By contrast, notice that while...
the common-emitter and common-base amplifiers provide high voltage gain they offer only low-to medium input impedance. The applications for these circuits are governed by these characteristics.

**Digital amplifiers**

Figure 2 is the schematic for a simple NPN common-collector/emitter-follower digital amplifier. The input signal for this circuit is a pulse that swings between zero volts and the positive supply voltage. When the input of this circuit is at zero volts and the transistor is fully cut off, and the amplifier’s output is also zero volts—indicating zero voltage phase shift.

When an input voltage exceeding +600 millivolts (the minimum forward bias for turn-on) appears across the input terminals, the transistor turns on and current $I_b$ flows in load resistor $R_L$, generating an output voltage across $R_L$. Inherent negative feedback causes the output voltage to assume a value that follows the input voltage. The output voltage is equal to the input voltage minus the voltage drop across the base-emitter junction ($=600$ millivolts).

In the Fig. 2 schematic, the input (base) current is calculated as:

$$I_B = I_b / h_{FE}$$

Because the circuit can have a maximum voltage gain of one, it presents an input impedance calculated as:

$$Z_{IN} = R_L \times h_{FE}$$

Inserting the values shown in Fig. 2 yields: $Z_{IN} = 3300 \text{ ohms} \times 200 = 660,000 \text{ ohms}$

The circuit has an output impedance that approximately equals the value of the input signal source impedance ($R_S$) divided by the $h_{FE}$ value of the transistor.

Because the circuit shown in Fig. 3 exhibits all of the common-collector amplifier characteristics previously discussed, it behaves like a unity-gain buffer circuit. If high-frequency pulses are introduced at its input, the trailing edge of the output pulse will show the time constant decay curve shown in Fig. 3. This response is caused by stray capacitance $C_S$ (represented by dotted lines) interacting with the circuit's load resistance.

When the leading edge of the input pulse switches high, Q1 switches on and rapidly sources or feeds a charge current to stray capacitance $C_S$, thus producing an output pulse with a sharp leading edge. However, when the trailing edge of the input pulse goes low, Q1 switches off and effective capacitor $C_S$ is unable to discharge or sink through the transistor. However, $C_S$ can discharge through load resistor $R_L$. That discharge will follow an exponential decay curve with the time to discharge to the 37% level equal to the product of $C_L$ and $R_L$.

**Relay drivers**

The basic digital or switching
circuit of Fig. 2 can be put to work driving a wide variety of resistive loads such as incandescent filament lamps, LEDs or resistors. If the circuit is to drive an inductive loads such as a coil, transformer, motor, or speaker, a diode must be included to limit an input-voltage surge that could destroy the transistor when the switch is closed.

The schematic in Fig. 4 is a modification of Fig. 3 with the addition of diode D1 across the load, in this case a relay coil, and switch S1 in the collector-base circuit. It can act in either the latching or non-latching modes. The relay to be actuated either by the input pulse or switch S1.

Relay RY1’s contacts close and are available for switching either when a pulse with an amplitude equal to the supply voltage is introduced or S1 is closed. The relay contacts open when the input pulse falls to zero or S1 is opened.

Protective diode D1 damps relay RY1’s switch-off voltage surge by preventing that voltage from swinging below the zero-volt supply level. Optional diode D2 can also be included to prevent this voltage from rising above the positive power supply value. The addition of normally open relay 2 (RY2) makes the circuit self-latching.

Figure 5 shows a relay driver circuit organized for a PNP transistor. Again, the relay can be turned on either by closing S1 or by applying the input pulse as shown.

Both the circuits shown in Figs. 4 and 5 increase the relay’s sensitivity by a factor of about 200 (the $h_{fe}$ value of Q1). Consider a relay requires an activating current of 100 milliamperes and has a coil resistance of 120 ohms. The effective input impedance of the circuit ($Z_{in}$) will be:

$$Z_{in} = R_L \times h_{fe} = 120 \times 200 = 24,000 \text{ ohms}$$

Only an input operating current of $\sqrt{200}$ of 100 milliamperes or 0.5 milliamperes is required.

Circuit sensitivity can be further increased by replacing transistor Q1 with the Darlington transistor pair of Q1 and Q2, as shown in Fig. 6. This circuit presents an input impedance of about 1 megohm and requires an input operating current of about 12 microamperes. Capacitor C1 protects the circuit from false triggering by high-impedance transient voltages, such as those induced by lightning or electromagnetic interference.

The benefits of the Darlington pair are readily apparent in relay-driving circuits that require time delay, such as those shown in Figs. 7 and 8. In those circuits, the voltage divider formed by resistor R1 and capacitor C1 generates a waveform that rises or falls exponentially.

That waveform is fed to the relay coil through the high-impedance Q1-Q2 voltage-following Darlington buffer. The circuit forces the relay to change state at some specified delay time after the supply voltage is applied. With the 120 K resistor R1 shown in both Figs.
through R1, and the increasing voltage is fed to the relay circuit through Darlington pair Q1 and Q2. That causes relay RY1's contacts to close after a time delay determined by the product of R1 and C1.

Consider that capacitor C1 in the Fig. 8 circuit is also fully discharged when the power supply is connected. The junction of R1 and C1 is initially at the supply voltage, and the relay contact close at that moment. Capacitor C1 then charges exponentially through R1, and the decaying voltage at the R1-C1 junction appears across the coil of relay RY1. The contacts of RY1 open after the delay determined by R1 and C1 times out.

**Constant-current generators**

A BJT can serve as a constant-current generator if it is connected in the common-collector topology and the power supply and collector terminals function as a constant-current path, as shown in Fig 9. The 1000-ohm resistor R2 is the emitter load. The series combination of resistor R1 and Zener diode D1 applies a fixed 5.6-volt reference to the base of Q1.

There is a 600-millivolt base-to-emitter drop across Q1, so 5 volts is developed across emitter resistor R2. As a result, a fixed current of 5 milliamperes flows through this resistor from Q1's emitter.

Because of a BJT's characteristics, emitter and collector currents are nearly identical. This means that a 5-milliamper current also flows in any load that is connected between Q1's collector and the circuit's positive supply. This will occur regardless of the load's resistance value—provided that the value is not so large that it drives Q1 into saturation. Therefore, these two points are constant-current source terminals.

Based on the previous discussion, it can be seen that constant-current magnitude is determined by the values of the base reference voltage and emitter load resistor R2. Consequently, the value of the current can be changed by varying either of these parameters.

The Fig. 10 circuit takes this concept a step further. It can be seen, for example, that the circuit of Fig. 9 was inverted to give a ground-referenced, constant-current output. Adjustment of trimmer potentiometer R3 provides a current range of 1 to about 10 milliamperes.

The most important feature of the constant-current circuit is its high dynamic output impedance—typically hundreds of...
kilohms. The precise magnitude of constant current is usually unimportant in practical circuits. The circuits shown in Figs. 10 and 11 will work satisfactorily in many practical applications.

If more precise current generation is required, the characteristics of the reference voltages of these circuits can be improved to eliminate the effects of power source varia-

tions and temperature changes.

A simple way to improve the circuits in Figs. 9 and 10 is shown in Fig. 11. Resistor R1 in both circuits can be replaced with a 5-milliampere constant-current generator. (The symbol for a constant-current generator is a pair of overlapping circles.) With a constant-current generator installed, the current through zener diode D1 and the voltage across it is independent of variations in the supply voltage.

True high precision can be obtained if the industry standard reference zener diode D1 is replaced with one having a temperature coefficient of 2 millivolts/°C to match the base-to-emitter temperature coefficient of transistor Q1. However, if a zener diode with those characteristics cannot be located, satisfactory results can be obtained by substituting a forward-biased light-emitting diode, as shown in Fig. 12.

The voltage drop across LED1 is about 2 volts, so only about 1.4 volts appears across emitter resistor R1. If the value of R1 is reduced from 1000 to 270 ohms, the constant-current output level can be maintained at 5 milliamperes.

**Analog amplifiers**

The common-collector/emitter-follower amplifier can amplify AC-coupled analog signals linearly if the transistor's base is biased to a quiescent value of about half the supply voltage. This permits maximum signal swings without distortion due to clipping. As shown in Figs. 13 and 14, the analog signals are AC-coupled to the base with capacitor C1, and the output signal is taken from the emitter through capacitor C2.

Figure 13 shows the simplest analog common-collector/emitter-follower circuit. Transistor Q1 is biased by resistor R1 connected between the voltage source and base. The value of resistor R1 must be equal to the input resistance RIN of the emitter-follower stage to obtain half-supply biasing. Input resistance RIN (and thus the nominal R1 value) equals 4.7 K2 multiplied by the hFE value of the Q1. In this circuit:

\[ R_1 = 200 \times 4700 = 1 \text{ megohm} \]

A slightly more elaborate biasing method is shown in Fig. 14. However, its biasing level is independent of variations in transistor Q1's hFE value. Resistors R1 and R2 function as a voltage divider that applies a quiescent half-supply voltage to Q1's base. Ideally, the value of R1 should equal the value of R2 in parallel with RIN. However, the circuit works quite well if resistor R1 has a low value with respect to RIN, and resistor R2 is slightly larger than R1.

In the circuits shown in Figs. 13 and 14, the input impedance looking directly into the base of transistor Q1 equals hFE \times Zload, where Zload is equal to the combined parallel impedance of R2 and any external load Zx that is connected to the output.

In these circuits, the base impedance value is about 1 megohm when Zx is infinite. In practical circuits, the input impedance of the complete emitter-follower circuit equals the combined parallel impedance of the base and bias network. The circuit shown in Fig. 13 has an input impedance of about 500 kilohms, and the circuit shown

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in Fig. 14 has an input impedance of about 50 kilohms.

Both the Fig. 13 and 14 circuits offer a voltage gain that is slightly less than unity; the true gain is given by:

$$A_v = \frac{Z_{load}}{Z_B + Z_{load}}$$

Where $Z_B = 25I_E$ ohms and $I_E$ is the emitter current in milliamperes.

With an operating current of 1 milliampere, these circuits provide voltage gains of 0.995 when the $Z_{load} = 4.7$ kilohms, or 0.975 when the load = 1.0 kilohm. The significance of these gain figures will be discussed shortly.

### Bootstrapping

The relatively low input impedance of the circuit in Fig. 14 circuit can be increased significantly by **bootstrapping** as illustrated in Fig. 15. The 47-kilohm resistor $R_3$ is located between the R1-R2 biasing network junction and the base of transistor Q1, and the input signal is fed to Q1's base through capacitor C1.

Notice, however, that Q1's output signal is fed back to the R1-R2 junction through C2, so that almost identical signal voltages appear at both ends of $R_3$. Consequently, very little signal current flows in $R_3$. The input signal "sees" far greater impedance than the true resistance value.

To make this point clearer, consider that the emitter-follower circuit in Fig. 15 has a precise voltage gain of unity. In this condition, identical signal voltages would appear at the two ends of $R_3$, so no signal current would flow in this resistor, making it "appear" to be an infinite impedance. The input impedance of the circuit would "appear" to equal $R_{in}$ or 1 megohm.

Practical emitter-follower circuits provide a voltage gain that is slightly less than unity. The precise gain that determines the resistor amplification factor, or $A_R$, of the circuit is:

$$A_R = \frac{1}{1 - A_v}$$

For example, if circuit gain is 0.995 (as in Fig. 13), then $A_R$ is 200 and the $R_3$ impedance is almost 10 megohms. By contrast, if $A_{esV} = 0.975$, $A_R$ is only 40 and the $R_3$ impedance is almost 2 megohms. This impedance is effectively in parallel with $R_{in}$ so, in the first example, the complete Fig. 15 circuit exhibits an input impedance of about 900 kilohms.

The input impedance of the circuit in Fig. 16 circuit can be further increased by substituting a520 Darlington pair for Q1 and increasing the value of $R_3$, as shown in Fig. 16. This modification gives a measured input impedance of about 3.3 megohms.

Alternatively, even greater input impedance can be obtained with a bootstrapped complementary-feedback pair circuit as shown in Fig. 18; it offers an input impedance of about 10 megohms. In this instance, Q1 and Q2 are both connected as common-emitter amplifiers but they operate with nearly 100% negative feedback. As a result, they provide an overall voltage gain that is almost exactly one. This transistor pair behaves like a near-perfect Darlington emitter-follower.

### Emitter-followers

Recall from the previous article on bipolar transistors, **Electronics Now** in September 1993, a standard NPN emitter-follower can source current but cannot sink it. By contrast, an NPN emitter-follower can sink current but cannot source it. This means that these circuits can only handle unidirectional output currents.

A **bidirectional** emitter-follower (that can source or sink currents with equal ease) has many applications. This response can be obtained with a complementary emitter-follower topology—NPN and PNP emitter followers are effectively connected in series. Figures 18 to 20 illustrate some basic bidirectional emitter-follower circuits.

The circuit in Fig. 18 circuit has a dual or "split" power supply, and has its output is direct-coupled to a grounded load. The series-connected NPN and PNP transistors are biased at a quiescent "zero volts" value through the voltage divider formed with resistors R1 and R2 and diodes D1 and D2. Each transistor is forward biased slightly with silicon diodes D1 and D2. Those diodes have characteristics that are similar to those of the transistor base-emitter junctions.

Capacitor C2 assures that $A_{esV}$ has a "zero volts" value through the voltage divider formed with resistors R1 and R2 and diodes D1 and D2. Each transistor is forward biased slightly with silicon diodes D1 and D2. Those diodes have characteristics that are similar to those of the transistor base-emitter junctions.